

1994

Performance Evaluation of Air-Conditioning System Using NARM by Equation of State

X. Jin

Shanghai Jiao Tong University

D. Xu

Shanghai Jiao Tong University

X. Zhou

Shanghai Jiao Tong University

Follow this and additional works at: <http://docs.lib.purdue.edu/iracc>

Jin, X.; Xu, D.; and Zhou, X., "Performance Evaluation of Air-Conditioning System Using NARM by Equation of State" (1994).
International Refrigeration and Air Conditioning Conference. Paper 261.
<http://docs.lib.purdue.edu/iracc/261>

This document has been made available through Purdue e-Pubs, a service of the Purdue University Libraries. Please contact epubs@purdue.edu for additional information.

Complete proceedings may be acquired in print and on CD-ROM directly from the Ray W. Herrick Laboratories at <https://engineering.purdue.edu/Herrick/Events/orderlit.html>

PERFORMANCE EVALUATION OF AIR-CONDITION SYSTEM USING NARM BY EQUATION OF STATE

Jin Xinqiao Xu Dazhong Zhou Xinxi
Department of Dynamic Mechanical Engineering, Shanghai Jiao
Tong University, 1954 Hua Shan Road, Shanghai, China

ABSTRACT

The paper conducts a method of analyzing air condition system which using NARM of R22 and R142. MH revised equation is adopted in calculation process of VLE. At the same time, the effect is considered of pressure drop and heat transfer of the evaporation. The paper considers that COP of system using R22 and R-142 mixture is about 20% higher than that using pure R-22 when the heat transfer area is equal, but capacity of refrigerating reduces about 15%. If increasing the heat transfer area, the same capacity of refrigerating and the lower work are got.

NOMENCLATURE

A	Heat transfer area (m^2)	ΔP	Pressure drop (KPa)
d	Diameter of tube (m)	ΔT_m	Logarithmic mean temperature difference (K)
f	Friction factor	ϵ	Heat exchanger factor
G_r	Mass velocity (Kg/m^2s)	η	Isentropic efficiency
h	Specific enthalpy (KJ/Kmol)	μ	Dynamic viscosity
P	Pressure (KPa)	ξ	Void fraction
Q	Heat transfer rate (W)	φ	Molar fraction of liquid
R	The constant of gas	X_{tt}	Martinelli parameter
S	Specific entropy (KJ/K · Kmole)		
T	Temperature (K)		
U	Overall heat transfer coefficient (W/m^2K)		Subscript
V	Specific volume ($m^3/Kmol$)		1-4 State point of refrigerant
V^*	Displacement of compressor (m^3/s)	C	Condenser
V_C	Volume flow rate of condenser (m^3/h)	E	Evaporator
V_E	Volume flow rate of evaporator (m^3/h)	L	Liquid
x	Vapor quality	in	Inlet
Y	Composition of NARM	out	Outlet
y	Molar fraction of vapor	V	Vapor

INTRODUCTION

Recently because of the problem of CFCs, there is a new high tide of researching nonazetropic refrigeration mixtures (NARMs). In addition for NARMs, the saturation temperature changes during evaporation and condensation at constant pressures, which is termed a gliding temperature effect. When heat transfer fluid exchange heat with NARMs, the thermodynamic irreversibility can be reduced by matching the temperature glide against the drop resulting in an increase in the COP.

For air condition system, especially household air conditioner, energy consumption is problem which wants to solve. This paper takes the calculation of thermodynamic properties of NARMs as the point of departure, and then analyzes the charactics of R22 and R142 mixture and possibility of increase of COP.

CALCULATION OF THERMODYNAMIC PROPERTIES OF NARMS

It is known that there are ready-made figures and tables or claculation method for thermodynamic properties of pure refrigerants but there is nothing for that of NARMs because of its characteristics. A method of equation of state (EOS) is adopted to calculate the thermodynamic properties of NARMs. The key to this method is that an appropriate EOS and an appropriate mixing regulation are requied. In the ready-made EOS, most of EOS describes character of single-phase flow only and there are a few equations that can describes character of VLE. MH revised equation is adopted by authors.

The form of MH revised equation ⁽¹⁾:

$$P = \frac{RT}{V-b} + \frac{A_2+B_2T+C_2e^{-KT/Tc}}{(V-b)^2} + \frac{A_3+B_3T+C_3e^{-KT/Tc}}{(V-b)^3} + \frac{A_4+B_4T}{(V-b)^4} + \frac{B_5T}{(V-b)^5} \quad (1)$$

Where A_n , B_n , C_n ($n=2, 3, 4, 5$) and b is constants of equation. $K = 5.475$

The problem of calcualtion of VLE which must be solved at first is how to certain constants of MH equation ⁽²⁾. The constants of NARMs are solved with that of pure refrigerants and mixing regulation.

$$L_m = \sum_i \sum_j y_i y_j L_{ij} \quad i, j (i, j=1, 2)$$

L_m represents constant of NARMs, $L_{11}=L_1$, $L_{jj}=L_j$, they are constants of pure refrigerants. For L_{ij} ($i \neq j$), there are

$$(A_2)_{ij} = (1-Q_{ij}) \left[\frac{(A_2)_i + (A_2)_j}{2} \right] \quad (A_n)_{ij} = \frac{(A_n)_i + (A_n)_j}{2} \quad (n=3, 4, 5)$$

$$(B_n)_{ij} = \frac{(B_n)_i + (B_n)_j}{2} \quad (n=2, 3, 4, 5) \quad b_{ij} = \frac{b_i + b_j}{2}$$

$$(C_n)_{ij} = \left[\frac{(C_n)_i^{1/3} + (C_n)_j^{1/3}}{2} \right]^3 \quad (n=2, 3, 4, 5) \quad (T_c)_{ij} = [(T_c)_i \cdot (T_c)_j]^{1/2}$$

Where Q_{ij} is parameter of action each other.

In two-phase region, pressure P or temperature T , specific enthalpy h and composition of NARM Y are general known, so there is

$$\begin{cases} h = h_L(1-x) + xh_V \\ Y = \varphi(1-x) + xy \end{cases} \quad (2)$$

CYCLE ANALYSIS

The Temperature-Entropy diagram of an air condition cycle is shown in Fig. 1. The following assumption are employed for the cycle analysis:

1. Expansion process 3-4 is isentropic.
2. Pressure drop in the condenser is negligible and pressure drop in the evaporator is calculated with an equation (described below).
3. The condenser and evaporator are the forced convection exchangers.
4. Compression process 1-2' is non-ideality. The isentropic compressor efficiency in paper is fixed to be 0.55^(s).

For the compression process 1-2'

$$s_1 = s_2 \quad (3) \quad h_{2'} = h_1 + \frac{h_2 - h_1}{\eta} \quad (4)$$

For the condensation process 2'-3

$$P_{2'} = P_3 \quad (5) \quad Q_c = U_c A_c \Delta T_{mc} \varepsilon_c \quad (6)$$

$$\Delta T_{mc} = \frac{(T_{2'} - T_{c\text{out}}) - (T_3 - T_{c\text{in}})}{\ln \left(\frac{T_{2'} - T_{c\text{out}}}{T_3 - T_{c\text{in}}} \right)} \quad (7)$$

For the expansion process 3-4

$$h_3 = h_4 \quad (8)$$

For the evaporation process 4-1

$$P_1 = P_3 + \Delta P \quad (9) \quad Q_E = U_E A_E \Delta T_{mE} \epsilon_E \quad (10)$$

$$\Delta T_{mE} = \frac{(T_4 - T_{Eout}) - (T_1 - T_{Ein})}{\ln \left(\frac{T_4 - T_{Eout}}{T_1 - T_{Ein}} \right)} \quad (11)$$

Where $\Delta P = \Delta P_f + \Delta P_m$
 ΔP_f — pressure drop caused by friction.
 ΔP_m — pressure drop caused by momentum change.

$$\Delta P_m = - \int_0^1 \left[\frac{\xi \rho_v}{Gr^2 x^2} + \frac{(1 - \xi) \rho_L}{Gr^2 (1 - x)^2} \right] dZ \quad (12)$$

Where void fraction ξ is calculated by Smith's equation⁽⁴⁾,

$$\xi = x \left\{ x + \frac{\rho_v}{\rho_L} (1 - x) \left[0.4 + 0.6 \left(\frac{x(\rho_v/\rho_L) + 0.4(1 - x)}{x + 0.4(1 - x)} \right)^{0.5} \right] \right\} \quad (13)$$

$$\Delta P_f = - \int_0^1 \left[1 + 2.85 X_{tt}^{0.523} \right]^2 \frac{2f_v Gr^2 x^2}{\rho_v d} dZ \quad (14)$$

Where f_v is the friction factor. Colburn's equation is adopted in this paper:

$$f_v = \frac{0.046}{(Grxd/\mu_v)^{0.2}} \quad (15)$$

RESULTS AND DISCUSSIONS

Through the process of calculation, the results of using NARM are shown in Fig. 2, Fig. 3 and Fig. 4. Fig. 2 shows that refrigerating capacity Q_E is changed with molar fraction Y of R22. The lower the molar fraction of R22, the lower the refrigerating capacity Q_E . It is because that the refrigerating capacity per unit of swept volume of R142 is lower than that of R22. In addition, the suction specific volume is larger, so the mass flow rate of system is smaller. Fig. 3 shows the COP is changed with the molar fraction Y of R22. When $Y > 0.7$, the COP is higher than that of R22, when $y=0.85$, the maximum COP=3.10.

In the region of low molar fraction, though there is advantage of the temperature glide, refrigerating capacity Q_E is lower, so the COP is lower. When $Y > 0.70$, the effect of temperature glide is evident though Q_E is lower than that of R22, the work of compressor is much lower. So the COP is higher than that of R22.

Generally, refrigerating capacity of system requires satisfied at first. For increasing Q_E of NARM, the evaporation temperature is increased, it causes that ΔT_m becomes small, so A_E must be increased. Fig.4 is shown the change of A_E is required in the same Q_E with the change of Y . In the maximum point of COP, A_E of NARM is about 15% more than that of R22. If this A_E is adopted in the system using R22, the COP of R22 is about 2.95.

CONCLUSIONS

Simulation analysis for air condition cycle, using NARM of R22 and R142 mixture, have been conducted with correlation equations of the heat transfer coefficient and pressure drop for evaporation.

When the system is the same, the molar fraction of R22 is 0.85, the COP of the NARM is about 20% higher than that of R22, but refrigerating capacity Q_E is about 10% lower than that of pure R22. When keeping Q_E not changed, the area of evaporator A_E must be increased. A_E of the NARM is about 15% larger than that of R22.

REFERENCES

- (1) Y. J. Hou, Development of MH Equation in Liquid
Chemical Engineering No.1 1981
- (2) C. S. Shu, Advance Engineer Thermodynamics 1987
- (3) D. S. Jung, Performance Simulation of Single-evaporator Domestic
Refrigerators Charged with Pure and Mixed Refrigerants
Int. J. Refrig. Vol. 14 July 1991
- (4) A. Miyara Performance Evaluation of A Heat Pump Cycle Using NARMs
by A Simulation with Equation of Heat Transfer and
Pressure Drop Int. J. Refrig. Vol. 16 No. 3 1991

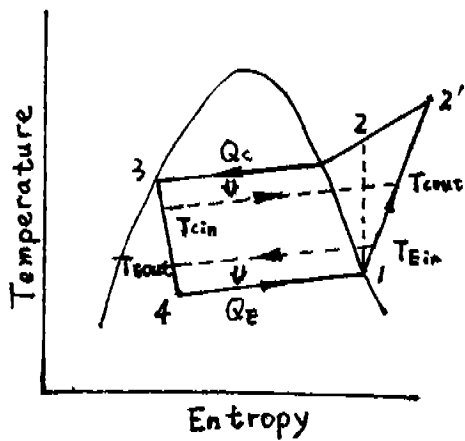


Fig. 1 Temperature - entropy diagram

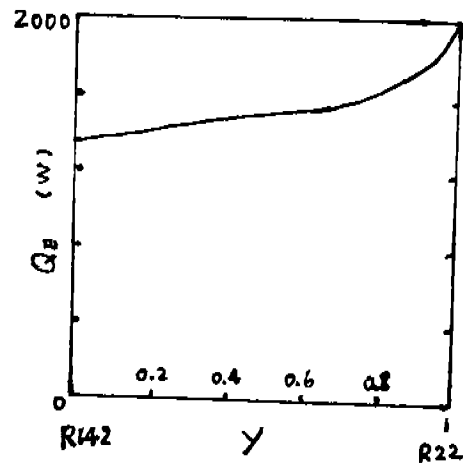


Fig. 2 Change of Q_E with Y in the same system

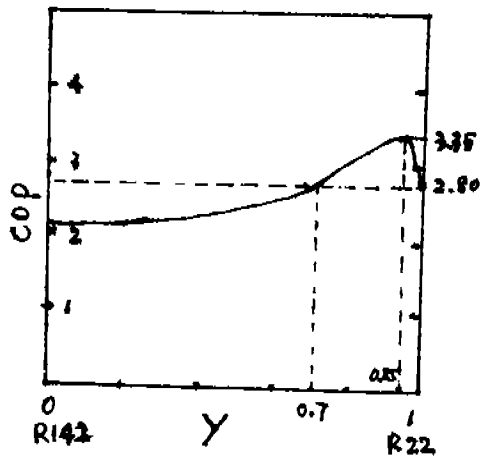


Fig. 3 Change of COP with Y in the same system

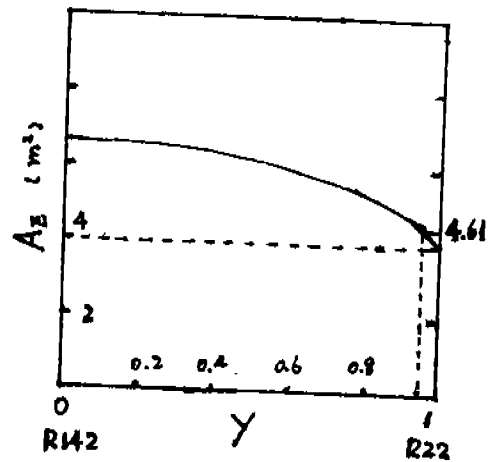


Fig. 4 Change of A_E with Y in the same Q_E