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"Two-Microphone" Nearfield Acoustical Holography

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Bolton, J Stuart; Cho, Yong T.; Kwon, Hyu-Sang; and Kim, Yong-Joe, ""Two-Microphone" Nearfield Acoustical Holography" (2005). *Publications of the Ray W. Herrick Laboratories*. Paper 49. http://docs.lib.purdue.edu/herrick/49

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"TWO-MICROPHONE" NEARFIELD ACOUSTICAL HOLOGRAPHY

Yong T. Cho and J. Stuart Bolton Hyu-Sang Kwon and Yong-Joe Kim

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Purdue University



INTRODUCTION

Conventional NAH

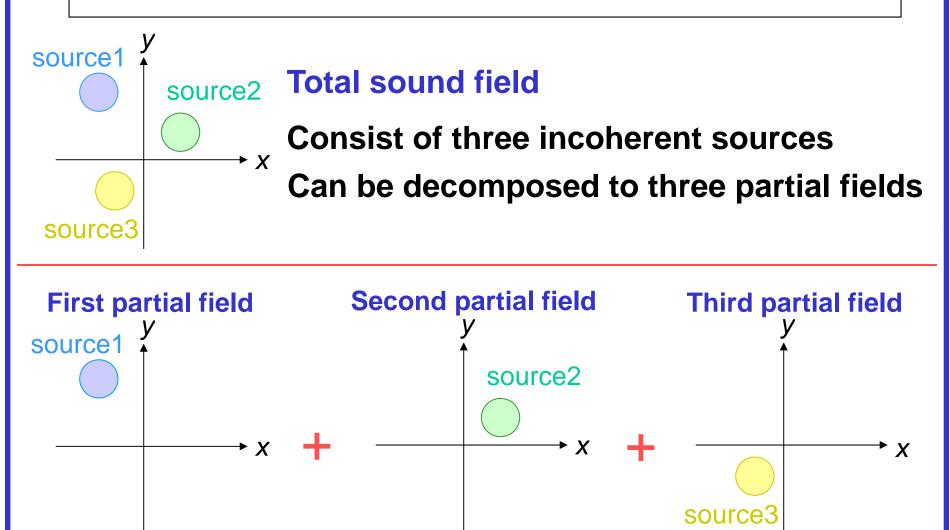
 Measurement time required for complete measurement enclosing the acoustic source may be formidable especially when the size of source is large and sound field radiated in various operating conditions is of interest.

Two-microphone Nearfield Acoustical Holography

- Only one complete measurement enclosing the acoustic source is required to estimate the sound field of acoustic source for various operating conditions.



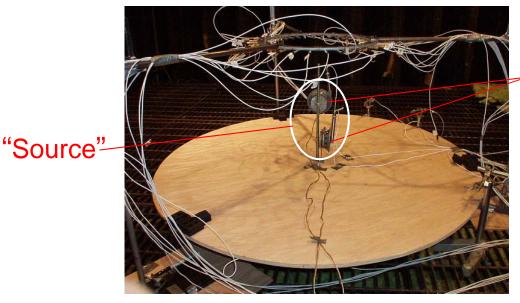
PARTIAL FIELD DECOMPOSITION





OBJECTIVE

 Facilitate sound field measurement of the same composite acoustic source in various operating conditions.



- -Two independent sub-sources comprise complete source.
- -Relative levels of sub-sources depend on operating condition.

 Reduce cost of acoustic measurement and allow more detailed investigation of acoustic sources in various operating conditions.

Key assumption

Transfer function between reference and field microphones is assumed to be remain identical for various combinations of source level or operating conditions – true if directivity of subsources is independent of level.

Benefit

Partial fields for different operating conditions can then be estimated from a measurement of the reference spectral matrix alone.



Sound sources Reference microphones Field microphones **Transfer function G**ys **Sub-source Transfer function Transfer function** $H_{\rm vr}$ \mathbf{G}_{rs} Sub-source 2 R Source signal: **s** Reference microphone signal: **R=G**_{rs}**s** Field microphone signal: $Y=G_{ys}s$



$$\begin{aligned} \mathbf{R} &= \mathbf{G}_{rs} \mathbf{s}, \\ \mathbf{Y} &= \mathbf{G}_{ys} \mathbf{s}, \\ \mathbf{S}_{ry} &= \mathbf{E} \{ \mathbf{R} \mathbf{Y}^H \} = \mathbf{G}_{rs} \mathbf{S}_{ss} \mathbf{G}_{ys}^{\ H} \text{ or } \mathbf{S}_{ry}^{\ H} = \mathbf{G}_{ys} \mathbf{S}_{ss} \mathbf{G}_{rs}^{\ H}, \\ \mathbf{S}_{rr} &= \mathbf{E} \{ \mathbf{R} \mathbf{R}^H \} = \mathbf{G}_{rs} \mathbf{S}_{ss} \mathbf{G}_{rs}^{\ H}, \end{aligned}$$

Transfer function between reference and field microphones:

$$H_{yr} = YR^{-1} = G_{ys}G_{rs}^{-1} = S_{ry}^{H} S_{rr}^{-1}$$

is independent of sub-source level combination (i.e., operating condition), so long as directivity of component sub-sources is independent of level.

$$S_{yy}=E\{YY^H\}=G_{ys}S_{ss}G_{ys}^H=H_{yr}G_{rs}S_{ss}G_{ys}^H=H_{yr}S_{ry}$$
$$=S_{ry}^HS_{rr}^{-1}S_{ry}=PP^H$$

Hence the partial field matrix, **P**, is,

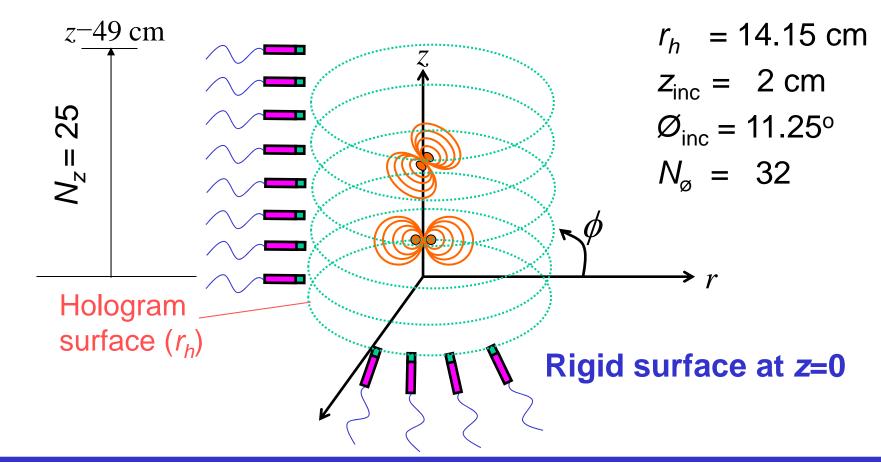
$$P = S_{ry}^{H} S_{rr}^{-1/2} = H_{yr} S_{rr}^{1/2}$$

Partial fields for the nth operating condition can then be estimated from a measurement of the nth reference spectral matrix $\mathbf{S}_{rr,n}$ alone when $\mathbf{H}_{yr,}$ is known from measurement in mth operating condition: i.e.,

$$P_n = H_{yr,n} S_{rr,n}^{1/2} = H_{yr} S_{rr,n}^{1/2}$$

DIPOLE NUMERICAL SIMULATION

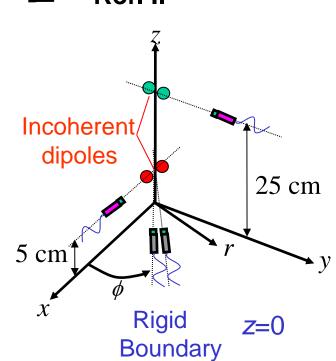
• Dipole axes in $\emptyset=0$, z=5 cm and $\emptyset=90^{\circ}$, z=25 cm



DIPOLE NUMERICAL SIMULATION

⊸∕√ Ref. I

□∕∨ Ref. II



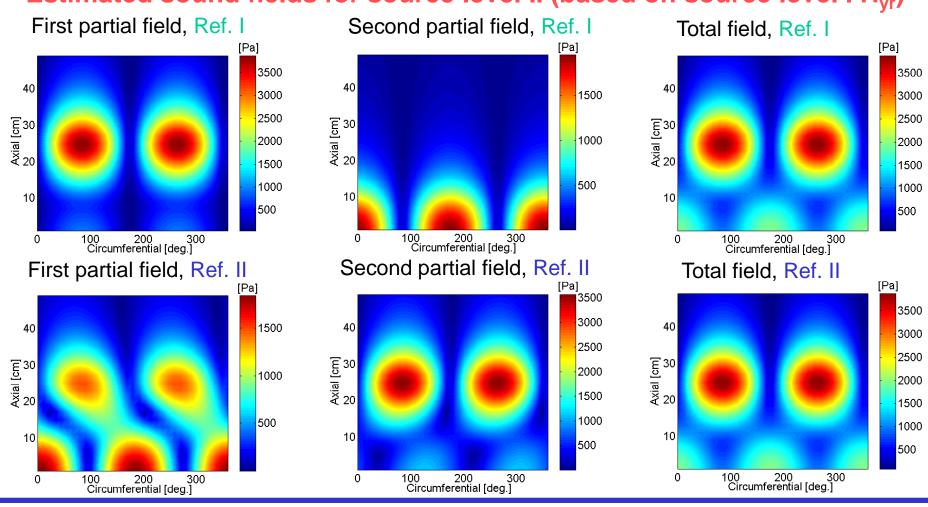
Cases		Source Amplitude		Ref. Mic. Position (r=10 cm)			
		А	В	Ø ₁ (deg)	Z ₁ (cm)	Ø ₂ (deg)	Z ₂ (cm)
Ref.	Level I	1	1	0	5	90	25
	Level II	0.5	1.5				
Ref.	Level I	1	1	40	5	50	5
	Level II	0.5	1.5				

DIPOLE NUMERICAL SIMULATION Sound fields from direct measurement (1000 Hz) First partial field, Level I Second partial field, Level I Total field, Level I [Pa] Axial [cm] 30 Axial [cm] 00 [cm] Axial [cm] 00 100 200 300 Circumferential [deg.] 100 200 300 Circumferential [deg.] 100 200 300 Circumferential [deg.] Second partial field, Level II First partial field, Level II Total field, Level II [Pa] Axial [cm] 20 Axial [cm] 30 Axial [cm] 30 100 200 300 Circumferential [deg.] 100 200 300 Circumferential [deg.] 100 200 Circumferential [deg.]



DIPOLE NUMERICAL SIMULATION

Estimated sound fields for source level II (based on source level I H_{vr})





LOUDSPEAKER MEASUREMENT

Number of field microphones

- Microphone spacing in z direction

- Radius of hologram

- Total aperture size

- Total number of measurement

: $N_{\varnothing} = 32 \; (\varnothing_{inc} = 11.25^{\circ})$

: z_{inc} = 2.5 cm

: $r_h = 13 \text{ cm}$

: 42.5 cm $(N_z=17)$

: 544

Scanning array

Unbaffled loudspeakers

LOUDSPEAKER MEASUREMENT Sound fields from direct measurement, reference 1 and 2 (2000 Hz) Second partial field, Level I First partial field, Level I Total field, Level I [Pa] 0.1 0.1 35 35 35 0.1 30 30 0.08 0.08 0.08 25 Axial 20 15 25 Axial Cm 25 25 Axial [cm] 20 15 0.06 0.06 0.06 0.04 0.04 0.04 10 0.02 0.02 0.02 100 200 300 Circumferential [deg.] 100 200 300 Circumferential [deg.] 100 200 300 Circumferential [deg.] Second partial field, Level II First partial field, Level II Total field, Level II [Pa] 0.08 0.16 0.16 35 35 35 0.07 0.14 0.14 30 30 0.06 0.12 0.12 Axial [cm] 25 Axial Cm 25 20 15 0.05 0.1 0.1 0.04 0.08 0.08 0.03 0.06 0.06 0.02 10 10 10 0.04 0.04 0.01 0.02 0.02 100 200 300 Circumferential [deg.] 00 200 30 Circumferential [deg.] 100 200 300 Circumferential [deg.] 0 100 300



LOUDSPEAKER MEASUREMENT Estimated sound fields from source level I (based on source level II H_{vr}) First partial field, ref. 1 & 2 Second partial field, ref. 1 & 2 Total field, ref. 1 & 2 [Pa] 0.1 35 0.1 30 30 0.08 0.08 0.08 Axial Cm 25 25 Axial [cm] 20 15 0.06 0.06 0.06 0.04 0.04 0.04 0.02 0.02 0.02 100 200 300 Circumferential [deg.] 100 200 30 Circumferential [deg.] 100 200 300 Circumferential [deg.] Second partial field, ref. 3 & 4 First partial field, ref. 3 & 4 Total field, ref. 3 & 4 [Pa] 35 0.08 35 35 0.1 0.1 30 30 0.08 0.08 0.06 Axial [cm] 25 0.06 0.06 0.04 0.04 0.04 10 10 0.02 0.02 0.02

100 200 300 Circumferential [deg.]



100 200 30 Circumferential [deg.] 200

Circumferential [deg.]

300

CONCLUSIONS

- Once the transfer functions between the reference and field microphones were found, entire sound field for any operating condition could be reconstructed based on reference measurements alone.
- Accurate total fields were obtained even when the reference microphones were placed an unrealistically large distance from the sources and even when partial fields included contribution from both sources.
- This approach can facilitate more detailed investigation of acoustic sources in various operating conditions.
- Potential quality control application to check the total radiated sound fields of many "similar" devices based on reference measurements.